

INTEGRAL CHARACTERISTICS OF $B_{k,n}$ MAXIMAL FUNCTIONS

Abstract

In this work we consider the generalized Bessel-Fourier shift operator, by means of which Hardy-Littlewood-Bessel-Fourier maximal functions ($B_{k,n}$ -maximal functions) are defined and investigated. The boundedness of $B_{k,n}$ -maximal functions from $L_1^{\gamma_{k,n}}(1 + \ln^+ L_1^{\gamma_{k,n}})(R_{k,+}^n) = L_1(1 + \ln^+ L_1)(R_{k,+}^n, x_{k,n}^{\gamma_{k,n}} dx)$ space to space $L_1^{\gamma_{k,n}}(R_{k,+}^n) \equiv L_1(R_{k,+}^n, x_{k,n}^{\gamma_{k,n}} dx)$ is proved.